

# **OneLoop.m**

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## **Abstract**

Short instructions on how to use the package `OneLoop.m`. They are just the comments included in the package.

```
#####
#Program: OneLoop.m                                     #
#Version: 1.6                                           #
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#####
```

This program calculates ALL the scalar one-loop integrals and ALL the tensor one-loop integrals up to 4 Lorentz indexes( it can easily be extended). It also calculates the Divergent part of those integrals. Conventions are from the appendix C to my book "Advanced Quantum Field Theory"

(<http://porthos.ist.utl.pt/ftp/textos/tca.pdf>)

and are as follows:

- 1) A factor of  $i/(16 \pi^2)$  is taken out from all the results. It should be put by hand in the end of the calculation. This is also the usual convention with the Passarino Veltman integrals.

- 2) To get the scalar integrals one uses the command:

```
ExpandScalarIntegral[r,m]
```

where m=number of denominators, r=power of  $k^2$  in the numerator.

- 3) To get the tensor integrals one uses the command

```
ExpandTensorIntegral[m,mu,nu,...]
```

where m=number of denominators, and mu, nu, ... are the indices of the momenta  $k^{\mu}$ ,  $k^{\nu}$ , ... in the numerator. At the moment are only defined the integrals up to 4 Lorentz Indices.

- 4) In the results

$$\text{delta} = 2/\epsilon - \gamma + \ln 4\pi$$

$$\text{CC} = (\sum_{i=1}^{m-1} x_i r_i)^2 + \sum_{i=1}^{m-1} x_i m_i^2 - \sum_{i=1}^{m-1} x_i r_i^2 + (1 - \sum_{i=1}^{m-1} x_i) m_m^2$$

- 5) The for vector  $P^{\mu}$  is defined in the appendix of my book for the different cases.

6) The integration in the Feynman parameters still has to be done. For more than 3 denominators it is best to use the Passarino-Veltman integrals (see the Appendix C of my book)

where  $m_i$  are the masses,  $r_i$  the momenta (see appendix) and  $x_i$  the Feynman parameters. To get a final answer the integration in the Feynman parameters has still to be done.

7) To get the divergent part we use the following commands:

```
TadpoleDiv[0], TadpoleDiv[a], TadpoleDiv[a,b] ...  
SelfDiv[0], SelfDiv[a], SelfDiv[a,b] ...  
TriangleDiv[0], TriangleDiv[a], TriangleDiv[a,b] ...  
BoxDiv[a,b,c,d]
```